



## Research Article

# Feature extraction for DNA capillary electrophoresis signals based on discrete wavelet transform combined with multi-scale permutation entropy

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## ABSTRACT

DNA sequence classification is an important challenge in genomic studies due to non-linear and chaotic behavior of DNA oxidation signals of Adenine, Cytosine, Guanine, and Thymine bases. To achieve genotype identification of samples derived from biological sources accurately, Machine Learning (ML) methods have been commonly preferred instead of expert-based methods due to the ability in handling such these complex-structured biological sequences. Reducing the dimension without sacrificing important information that should not be omitted during the classification process is an important task in ML applications. This study presents a new feature extraction method to detect two sub-types of hepatitis nucleic acid trace files. The proposed method combines both discrete wavelet transform (DWT) and entropy. The DWT decomposes the bases signals up to three levels and thus all necessary information that is hidden in both spatial and frequency domains is aimed to be captured. To achieve a good summarization of DNA trace files having different length, multi-scale permutation entropy (MPE) measures are then computed from approximate and detail coefficients of signals stored in the sub-bands. Different feature sets are extracted with the proposed method using real data covering 200 hepatitis DNA trace files and then fed to a simple memory-based learning classifier, k-NN. The classification performance of the proposed feature extraction method is compared against a method based on MPE features without wavelet decomposition. The results indicate, in classifying hepatitis DNA trace files, the average accuracy reaches up to nearly 99% with feature sets based on proposed method even at 30% training samples proportion.

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## INTRODUCTION

In the last decades, deoxyribonucleic acid (DNA)-sequencing has become a growing research interest in the field of biological sciences. In 1977, two powerful approaches were introduced by Maxam and Gilbert [1] and Sanger, Nicklen and Coulson [2], which are based on chemical degradation and enzymatic synthesis, respectively [3]. Recently, new sequencing technologies have been developed for determining the complete or interested region of DNA sequence, and these technologies aim to serve users at affordable costs as well as produce results in a short time period. Capillary electrophoresis (CE) is a commonly-applied approach in studies of high-throughput DNA sequencing and separation [4]. Although the next generation sequencing (NGS) produce millions to billions more data than Sanger sequencing by CE within the same amount of time, the results of NGS are verified with the results obtained by CE. Besides, many institutions still prefer to use their legacy sequencer, CE, because this platform is fast, cost effective and preserve a familiar workflow. However, especially the abilities of being sensitive in detection and being cost-effective may turn into challenges in the case of huge number of subjects and hence, CE is preferred generally in small sized projects. The key principle of CE is the usage of dideoxynucleotide triphosphates (ddNTPs) as DNA chain terminators which are labeled with different fluorescent dyes [5]. Base calling signals are recorded as fluorescence peaks and each peak show the nucleic acid sequence, Adenine (A), Cytosine (C), Guanine (G), and Thymine (T).

The accurate identification of virus subtypes is one of the main challenges for DNA sequencing centers. Since DNA data is indeed a 4-channel time series [6], it exhibits the complex-structured characteristics (e.g. being non-stationary and non-linear, being noisy data having outliers). For these reasons, it is often inadequate to visually distinguish the signals by a specialist and, moreover, it is prone to errors. Instead of such labor intensive methods, the original signal can be transformed to a different space where a set of features, called vector of features, is generated without losing the original information that are used in discrimination of subtypes. Changing the original signal into a useful vector of features is known as feature extraction and high classification performance is achieved with this pre-classification stage of virus subtypes recognition.

Some traditional smoothing and filtering methods used in denoising the sequential data for biological signal processing are based on Savitzky-Golay (SG), Fourier transform (FT) and Fast Fourier transform (FFT). These methods, which give efficient results with the stationary structure of the signal in the data, have a wide applicability especially in analytical chemistry. However, the fact that they are easily affected by the noise and thus the difficulty in

processing non-stationary signals (having different shapes and widths) brought the need to use a transformation method that takes into account local information of the original signal in spatial domain as well as frequency. Wavelet transform (WT) which biological signals are represented in both spatial and frequency domains [7] has been effectively used in the feature extraction stage of classification [8–20]. More specifically, WT has been widely applied for denoising DNA CE signals that have overlapped peaks [21–26].

Although the obtained wavelet coefficients (WC) provide a well representation of the energy distribution in the spatial-frequency domain of the signal, a curse of dimensionality problem is caused when a high-dimensional feature space is used in the classification stage [27–29]. To carry out suitable reduction in dimension that produces classification with a high performance as well cost effective, some measures such as statistical-based [10,20,30,31], entropy-based [32–35] and both combined [36] are calculated over the set of WC and then used as a vector of features. Entropy-based features have a wide application in the studies of biological signal processing [37–43], in order to quantify the degree of disorder of an interested signal and can be effectively used to detect virus subtypes of DNA chromatograms (DNAC) [44].

In this study, a feature extraction method is proposed in the purpose of classifying the DNAC. The classification performance obtained from the proposed method is evaluated using Hepatitis B Virus (HBV) and Hepatitis C Virus (HCV) trace files recorded from 200 hepatitis patients. The proposed method has two processing stages and these stages are executed sequentially. In the first stage, nucleic acid sequences, A, C, G and T, are decomposed into sub-bands using discrete WT (DWT). Thus, it is aimed to capture all necessary local information of DNAC which is hidden in the both spatial and frequency domains due to the artifacts. In the second stage, complexity of each of these sub-bands is quantified by multi-scale PE (MPE). Thus, it is intended to achieve a good summarization of trace files having different length and complex-structured characteristics. By executing two processing stages given above, different feature sets are generated. Kruskal-Wallis H tests are utilized to show the discrimination abilities of each generated sets. Thus, an additional computational load from redundant information is prevented. After, each feature set is used as an input to a simple classification algorithm, k-nearest neighbors (k-NN). The classification performance of the proposed feature extraction method is compared against a method based on MPE features without wavelet decomposition.

The remaining sections of this study are organized as follows. Following section includes materials and methods of the study. After, results are presented and a discussion and some concluding remarks are provided in last two sections.

## MATERIAL AND METHODS

### Dataset

DNA trace files are generally obtained with base-calling software. “Phred” which is the frequently-used by academic and commercial laboratories embedded in automated DNA analyzer, ABI-3730 (Applied Biosystems, Foster City, USA) is used in this study for the purpose of obtaining hepatitis DNA trace files. In total, 200 hepatitis DNA trace files are labelled as HBV (96 traces) and HCV (104 traces). The information of any trace file includes four nucleotides (bases), A, C, G and T, that has Gaussian shaped peaks. A single trace file has approximately 60,000 (4×15,000) data points and each trace has a different length from other traces. In order to obtain numerical representation of the bases of a trace, base signals are converted from SCF format to an array using “scfread” function in MATLAB 2019b software [45].

### FEATURE EXTRACTION

To perform classification of HBV and HCV, extracting discriminative features from four-bases of hepatitis DNA trace files is an important stage. Following sub-sections provide a brief description of proposed feature extraction process which is based on discrete WT (DWT) and entropy measures.

#### Discrete wavelet transform

The WT decomposes a signal into a set of functions called wavelets. Wavelets obtained from a mother wavelet by dilating and shifting are small oscillatory waves and characterize the local information of signals in spatial-frequency domain. Continuous WT (CWT) and DWT are two types of wavelet analysis. Since the data generated by chromatography devices is discrete in nature, using DWT is recommended [46]. Wavelet is defined with the following equation:

$$\Psi(a,b,t) = \frac{1}{\sqrt{a}} \Psi\left(\frac{t-b}{a}\right) \quad (1)$$

where  $\Psi$  is the mother wavelet and  $a$  and  $b$  are the dilation (scale) and shift values, respectively. Using Eq. (1), wavelet coefficients are obtained. To achieve discrete transformation, the following discrete  $\Psi$  is used:

$$\Psi(m,n,t) = 2^{-\frac{m}{2}} \Psi(2^{-m}t - n) \quad (2)$$

where  $m$  and  $n$  demonstrate the scaling and location values. Wavelet coefficients are obtained an algorithm proposed by Mallat [47]. At first step, two digital filters, low-pass (LP) and high-pass (HP), are applied to the signals. Thus, DWT decomposes the original signal into two mutually orthogonal sets of wavelets, representing the low-frequency

(high-scale) and high-frequency (low-scale) coefficients. The coefficients obtained from the LP filtering recorded as approximation coefficients, while HP filtering produces details coefficients. The useful information is included in the approximate part and the noise is included in the detail part [31]. The coefficients obtained from the first-level having the half frequency bandwidth of the original signal are down-sampled by a factor 2 [48]. The same procedure is repeated using the approximate coefficients of the first-level of decomposition in order to get two mutually orthogonal sets of wavelets for the second level of decomposition. At each step of the decomposition process, as the filtering and sub-sampling are applied, the frequency resolution is doubled, whereas the spatial resolution is halved.

#### Permutation and multi-scale permutation entropy

PE [49] quantify the complexity of time series having non-stationary, noisy and non-linear characteristics. For a given discrete time series  $\{x(i)\}$  with length  $N$ , an embedding procedure is applied to the time series to generate the following  $m$ -dimensional vector:

$$X(i) = \{x(i), x(i + \tau), \dots, x(i + (m-1)\tau)\} \quad (3)$$

where  $m$  and  $\tau$  show the embedding dimension that is greater than or equal to 2 and embedding delay, respectively. The vector  $X(i)$  is then arranged in an ascending order  $\pi = r_0, r_1, \dots, r_{m-1}$ , where  $x(i + r_0\tau) \leq x(i + r_1\tau) \leq \dots \leq x(i + r_{m-1}\tau)$ . For a given  $m$ , there are  $m!$  possible order patterns  $\pi$ , referred as motifs. The relative frequency for each motif is expressed by  $p(\pi)$  and the PE for a given embedding dimension is defined as:

$$PE = -\sum_{\{\pi\}} p(\pi) \log(p(\pi)) \quad (4)$$

In order to obtain scale-independent measure, PE is normalized by  $PE / \log(m!)$ . The normalization ensures to get entropy values which are in the range between 0 and 1. The larger PE value is, the more complex the time series is.

Since PE is a single-scaled measure, it is not suitable for systems having structures on multiple spatial and temporal scales. Similar to the multi-scale entropy method introduced by [50], MPE [51] incorporates two different procedures. Firstly, for a given discrete time series  $\{x(i)\}$  with length  $N$ , multiple coarse-grained time series  $\{y^{(s)}\}$  are constructed. Each element of the coarse-grained series is obtained from the following formula

$$y_j^{(s)} = \frac{1}{s} \sum_{i=(j-1)s+1}^{js} x(i) \quad (5)$$

where  $j = 1, 2, \dots, N/s$  and  $s$  is the scale parameter. Secondly, the complexity of each coarse-grained series are calculated with PE and plotted as a function of  $s$ .

## CLASSIFICATION

K-NN is a simple memory-based classification algorithm which can be effectively used in both classification and estimation purposes. Since it serves as a robust classification technique for noisy time-series, the classification process of this study is carried out with k-NN. In this non-parametric method, subjects are classified based on the class of their known nearest neighbor. To determine the class, training set of the data and pre-defined neighborhood parameter ( $k$ ) are required. The algorithm searches the space of training set for the  $k$ -nearest subjects based on a distance function or a similarity measure [34]. The performance of the k-NN classifier depends on the type of the distance function and the value of  $k$ . Since Euclidean distance is the popularly used [46], the present study uses this metric. Also, the value of  $k$  is usually taken as small integer values with a positive sign and the value of  $k$  is taken from 1 to 5 in this study.

## CLASSIFICATION PERFORMANCE EVALUATION

Different classification performance measures such as sensitivity (Se), specificity (Sp), accuracy (Acc) and Kappa statistic ( $\kappa$ ) are used in evaluation. From the confusion matrix which is a useful tool for evaluating the classifier's performance, the number of correctly classified subjects (true positive-TP and true negative-TN) and their proportions (TP rate and TN rate) can be derived. TP rate and TN rate are generally known as Se and Sp, respectively. Acc gives an information about the proportion of overall correctly classified subjects (both TP and TN).  $\kappa$  is an agreement measure lies in the range between  $[-1,+1]$  for assessing the classification power of a classifier.

## PROPOSED FEATURE EXTRACTION METHOD

The proposed method has mainly two processing stages that are executed sequentially, namely decomposition stage and feature extraction stage.

**Decomposition Stage:** For a trace file, firstly, signals in a single base (i.e., A, C, G or T) are pre-processed with DWT to decompose them into four sub-bands using third-level decomposition. For the first-level of decomposition, signals are passed through LP and HP filters and the approximate and detail coefficients are produced. Later, down-sampling is applied by a factor 2 according to Nyquist rule, and the approximate coefficients are fed into another LP and HP filters again. Thus, second-level coefficients are obtained. After down-sampling by a factor 2, the approximate coefficients are passed through the filters again and the third-level of coefficients are obtained.

**Feature Extraction Stage:** The coefficients of the sub-bands signals obtained from DWT are used to calculate entropy-based features. In the decomposition stage, it is

created 4 sub-bands for a single base of a trace file. For each of these 4 sub-bands, entropy values are calculated in assessing the dynamics and complexity of signals located in these sub-bands. When the decomposition and feature extraction stages are repeated for all bases (A, C, G and T) and later for all trace files, a feature set which is then fed to any classifier can be created. Using various entropy estimators including embedding and spectral entropies, different feature sets can be generated.

Figure 1 shows an illustration of original (the first column) and decomposed signals (the second column) of a selected sample trace file from 200 hepatitis trace files. Signals coloured in green, blue, black and red demonstrate the signals of bases A, C, G and T, respectively. In the first panel of Figure 1, while the first column shows the original signals of base A, the second column gives the decomposed signals of base A into three levels using Daubechies 1 wavelet (dB1) [52]. Similarly, the second, the third and the fourth panels of Figure 1 illustrate the original and decomposed signals of base C, G and T, respectively, which belong to the same selected trace. As shown in the first columns of Figure 1, original signals in a trace span a wide range of intensities in spatial-frequency domain and contain overlapped peaks with different shapes (such as Gaussian). Smoothing or filtering is needed to such this data having non-stationary characteristics which may often represent the most important part of a signal sequence. To achieve successful separation between HBV and HCV trace files, the important information localized in both spatial and frequency domains can be derived using DWT (the decomposition stage). On the other hand, although the spatial-frequency characteristics of the signals are captured by DWT, the length of signals stored in four sub-bands of any trace file differs from the lengths of the signals in the sub-bands of other traces. The dimensionality problem occurs when a vector of features is desired to be formed used as an input for relevant classifier. To overcome this problem, each element of the feature vector should be defined in the same dimension. Entropy measures can be effectively applied to summarize the complex-structured signals with different lengths. The proposed method offers to use entropy measures for each-sub-bands of each bases and then to concatenate the calculated entropies in order to form a vector of features (feature extraction stage). Thus, a good summarization of trace files can be performed efficiently by executing two processing stages given above and a good discrimination between can be attained between the HBV and HCV DNAC.

## EXPERIMENTAL SETUP

By executing two processing stages given above, different feature sets are generated. Each feature set is used as an input to k-NN classifier. The obtained classification performances using different feature sets are compared between

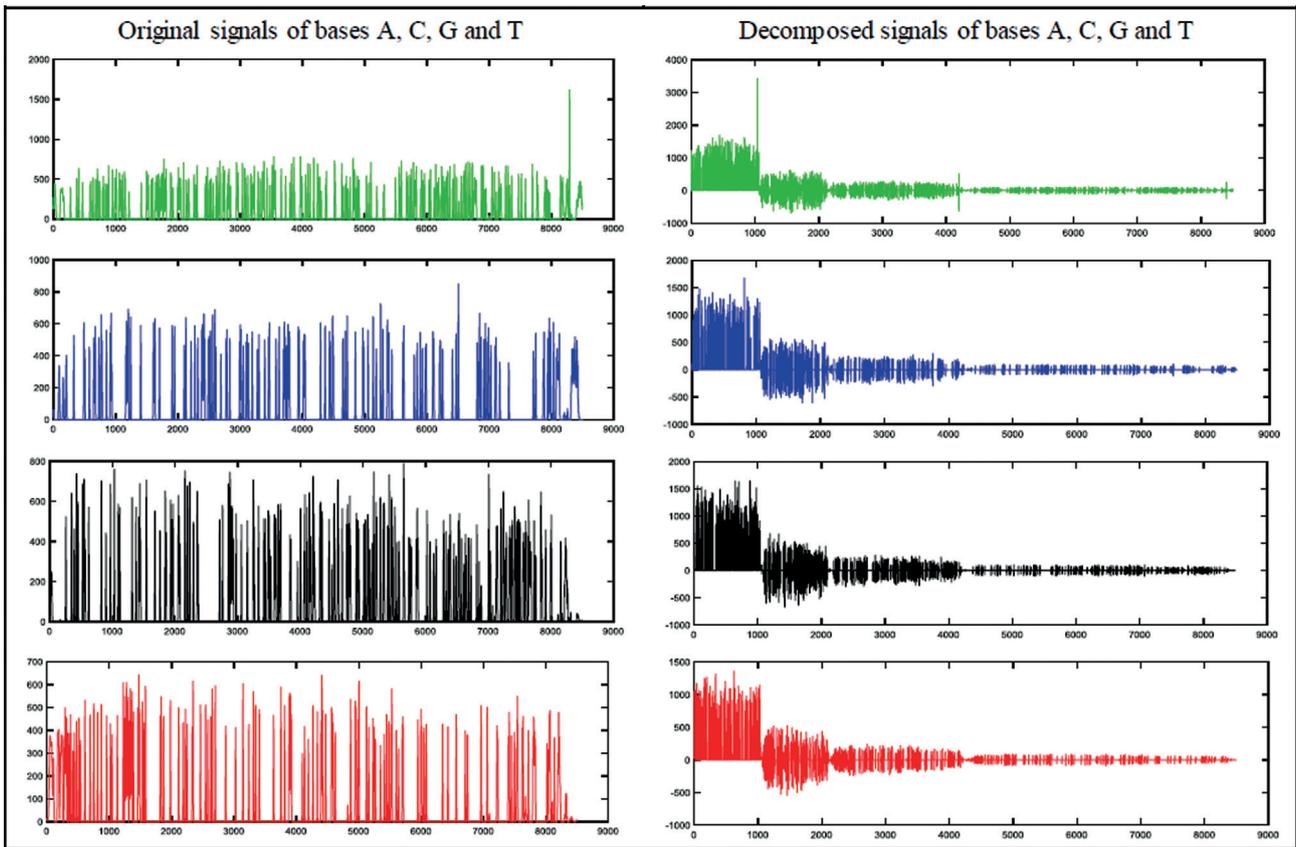


Figure 1. Original and decomposed signals of a trace file.

Table 1. Description of feature sets extracted in Step 1

Base	Feature Set					
	$PE_{(A,C,G,T)}$		$MPE2_{(A,C,G,T)}$		$MPE3_{(A,C,G,T)}$	
	Feature Name	Description	Feature Name	Description	Feature Name	Description
A	$PE_{(A)}$	PE of A	$MPE2_{(A)}$	MPE with $s=2$ of A	$MPE3_{(A)}$	MPE with $s=3$ of A
C	$PE_{(C)}$	PE of C	$MPE2_{(C)}$	MPE with $s=2$ of C	$MPE3_{(C)}$	MPE with $s=3$ of C
G	$PE_{(G)}$	PE of G	$MPE2_{(G)}$	MPE with $s=2$ of G	$MPE3_{(G)}$	MPE with $s=3$ of G
T	$PE_{(T)}$	PE of T	$MPE2_{(T)}$	MPE with $s=2$ of T	$MPE3_{(T)}$	MPE with $s=3$ of T
$all\_MPE_{(A,C,G,T)}$						
$PE_{(A)}, PE_{(C)}, PE_{(G)}, PE_{(T)}, MPE2_{(A)}, MPE2_{(C)}, MPE2_{(G)}, MPE2_{(T)}, MPE3_{(A)}, MPE3_{(C)}, MPE3_{(G)}, MPE3_{(T)}$						

the proposed feature extraction method (given in Step 2) and a method based on entropy features without wavelet decomposition (given in Step 1). The steps of experimental setup are given below:

**Step 1:** In this step, four different feature sets based on MPE are considered. To create the first feature set, MPE values are calculated for a single base of a trace file. In order to compute entropy values, MPE parameters,  $m$  and  $\tau$ , are set at 3 and 1, respectively, as suggested in [49], [53]. Besides, the

scale parameter  $s$  is taken as 1 (leading to single scale MPE, namely PE). The same procedure is applied to all bases of a trace and then to all trace files. Hence, the first feature set which is then fed to k-NN classifier is created. This set consists of 4 vector of features ( $PE_{(A)}, PE_{(C)}, PE_{(G)}, PE_{(T)}$ ) and it is demonstrated as  $PE_{(A,C,G,T)}$ . This step is repeated to form second (namely  $MPE2_{(A,C,G,T)}$ ) and third (namely  $MPE3_{(A,C,G,T)}$ ) feature sets which are based on MPE with scale parameter  $s = 2$  and  $s = 3$ , respectively. As in  $PE_{(A,C,G,T)}$ , the second and

the third feature sets consist of 4 vectors of features. The last feature set is formed by combining all features vectors from the first, the second and the third feature sets. Thus, the fourth feature set consists of 12 vector of features and it is demonstrated by  $\text{all\_MPE}_{(A,C,G,T)}$ . Table 1 shows the description of extracted feature sets in this step.

**Step 2:** As in Step 1, four sets of features are used in this step. After obtaining the coefficients produced for any of 4 sub-bands (decomposition stage) of a base of a trace file, entropy-based features are calculated. To form the first feature set, MPE parameters,  $m$ ,  $\tau$  and  $s$  are set at 3, 1 and 1, respectively (leading to single scale MPE, namely PE) and PE values are computed for all sub-bands of a base of a trace. The same procedure is applied to all bases of a trace, and then to all trace files. Hence the first feature set is created. This set consists of 16 vector of features, of which 4 are PE values of base A ( $\text{SB}_1\text{-PE}_{(A)}$ ,  $\text{SB}_2\text{-PE}_{(A)}$ ,  $\text{SB}_3\text{-PE}_{(A)}$ ,  $\text{SB}_4\text{-PE}_{(A)}$ ), 4 are PE values of base C ( $\text{SB}_1\text{-PE}_{(C)}$ ,  $\text{SB}_2\text{-PE}_{(C)}$ ,  $\text{SB}_3\text{-PE}_{(C)}$ ,  $\text{SB}_4\text{-PE}_{(C)}$ ), 4 are PE values of base G ( $\text{SB}_1\text{-PE}_{(G)}$ ,  $\text{SB}_2\text{-PE}_{(G)}$ ,  $\text{SB}_3\text{-PE}_{(G)}$ ,  $\text{SB}_4\text{-PE}_{(G)}$ ) and 4 are PE values of base T ( $\text{SB}_1\text{-PE}_{(T)}$ ,  $\text{SB}_2\text{-PE}_{(T)}$ ,  $\text{SB}_3\text{-PE}_{(T)}$ ,  $\text{SB}_4\text{-PE}_{(T)}$ ). In addition, Kruskal-Wallis H test is utilized to show the discrimination abilities of each sub-band of a base. Thus, an additional computational load from a redundant information is prevented. This step is repeated to form second and third feature sets with the same  $m$  and  $\tau$  parameters, but with different scale parameters such as  $s = 2$  and  $s = 3$ , respectively. The last feature set is formed by combining all features vectors from the first, the second and the third feature sets. Thus, the fourth feature set consists of 48 vector of features and it is demonstrated by  $\text{all\_wMPE}_{(A,C,G,T)}$ . Appendix A shows the description of extracted the first, the second and the third feature sets which are demonstrated by  $\text{wPE}_{(A,C,G,T)}$ ,  $\text{wMPE2}_{(A,C,G,T)}$  and  $\text{wMPE3}_{(A,C,G,T)}$ , respectively. Besides, the Kruskal-Wallis H test results applied on all extracted feature sets and the resultant p-values are shown in Appendix A. As it is shown, the discrimination ability among all vector of features is statistically significant (p-values < 0.001).

Block diagram of the experimental setup is given in Figure 2. Two different feature extraction methods such as

entropy features with and without wavelet decomposition are utilized. The results of classifications using all extracted feature sets based on these two methods are obtained with different training sample proportions (from 5% to 30%, increased by 5%) and with different k values (from 1 to 5). To avoid random selection effect, each classification process for a feature set is repeated 100 times and the average values of performance measures ( $\mu_{ACC}$ ,  $\mu_k$ ,  $\mu_{se}$  and  $\mu_{sp}$ ) are considered to make performance evaluation. Also, it is aimed to show that each classification process performed with different feature set does not suffer from an over-fitting problem. For this aim, it is expected to obtain non-complementary values of  $\mu_{se}$  and  $\mu_{sp}$  [54] in each classification process. Pairwise comparisons of the performance measures between  $\{\text{PE}_{(A,C,G,T)} - \text{wPE}_{(A,C,G,T)}\}$ ,  $\{\text{MPE2}_{(A,C,G,T)} - \text{wMPE2}_{(A,C,G,T)}\}$ ,  $\{\text{MPE3}_{(A,C,G,T)} - \text{wMPE3}_{(A,C,G,T)}\}$  and  $\{\text{all\_MPE}_{(A,C,G,T)} - \text{all\_wMPE}_{(A,C,G,T)}\}$  are made with different sample proportions and k values.

## RESULTS

In this study, different feature sets are extracted for 200 hepatitis DNA trace files according to the proposed feature extraction method which is based on entropy features with wavelet decomposition. In assessing the summarization ability of the proposed method, different feature sets with the same entropy parameters are also extracted using entropy features without wavelet decomposition. All feature sets are then fed to k-NN classifier with different k and training sample proportions. Pairwise comparisons of the classification performance measures between extracted feature sets based on entropy features with and without wavelet decomposition are given in following tables (from Table 2 to Table 7 for training sample proportions from 5% to 30%).

Table 2 shows all pairwise comparison results of k-NN classifications based on two feature extraction methods at 5% training sample proportion. Compared to the method based on entropy features without wavelet decomposition, higher  $\mu_{ACC}$  and  $\mu_k$  are obtained in all pairwise comparisons

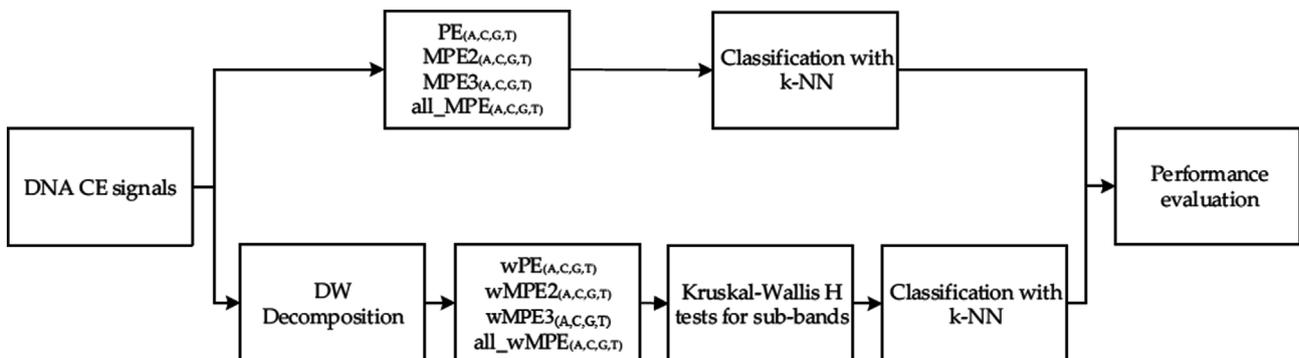


Figure 2. Block diagram of the experimental setup.

**Table 2.** Pairwise comparisons of feature sets at 5% training sample proportion

k	Feature Set	$\mu_{ACC}$	$\mu_k$	$\mu_{Se}$	$\mu_{Sp}$	Feature Set	$\mu_{ACC}$	$\mu_k$	$\mu_{Se}$	$\mu_{Sp}$
1	$PE_{(A,C,G,T)}$	0.907	0.816	0.898	0.918	$wPE_{(A,C,G,T)}$	0.920	0.842	0.903	0.940
2		0.848	0.700	0.793	0.910		0.875	0.753	0.841	0.914
3		0.835	0.675	0.777	0.901		0.857	0.717	0.817	0.902
4		0.782	0.569	0.717	0.856		0.819	0.641	0.785	0.858
5		0.724	0.457	0.646	0.815		0.747	0.501	0.719	0.785
1	$MPE2_{(A,C,G,T)}$	0.903	0.808	0.868	0.942	$wMPE2_{(A,C,G,T)}$	0.906	0.814	0.875	0.942
2		0.843	0.691	0.788	0.906		0.883	0.768	0.855	0.914
3		0.842	0.687	0.790	0.899		0.866	0.735	0.860	0.876
4		0.774	0.552	0.729	0.826		0.822	0.647	0.804	0.845
5		0.726	0.459	0.659	0.805		0.805	0.613	0.783	0.833
1	$MPE3_{(A,C,G,T)}$	0.892	0.787	0.857	0.931	$wMPE3_{(A,C,G,T)}$	0.917	0.836	0.907	0.929
2		0.852	0.708	0.794	0.917		0.888	0.777	0.877	0.900
3		0.834	0.674	0.773	0.903		0.886	0.774	0.871	0.904
4		0.795	0.594	0.749	0.848		0.864	0.732	0.853	0.879
5		0.736	0.481	0.642	0.844		0.840	0.682	0.847	0.836
1	$all\_MPE_{(A,C,G,T)}$	0.896	0.794	0.872	0.923	$all\_wMPE_{(A,C,G,T)}$	0.910	0.823	0.890	0.934
2		0.855	0.713	0.818	0.897		0.880	0.762	0.872	0.891
3		0.830	0.666	0.751	0.918		0.875	0.753	0.868	0.885
4		0.797	0.603	0.713	0.892		0.808	0.620	0.768	0.855
5		0.741	0.487	0.698	0.793		0.765	0.534	0.766	0.771

**Table 3.** Pairwise comparisons of feature sets at 10% training sample proportion

k	Feature Set	$\mu_{ACC}$	$\mu_k$	$\mu_{Se}$	$\mu_{Sp}$	Feature Set	$\mu_{ACC}$	$\mu_k$	$\mu_{Se}$	$\mu_{Sp}$
1	$PE_{(A,C,G,T)}$	0.936	0.872	0.933	0.939	$wPE_{(A,C,G,T)}$	0.954	0.909	0.948	0.961
2		0.915	0.832	0.901	0.932		0.934	0.869	0.932	0.937
3		0.907	0.817	0.891	0.927		0.931	0.862	0.940	0.921
4		0.899	0.799	0.886	0.913		0.917	0.835	0.920	0.914
5		0.864	0.732	0.826	0.908		0.906	0.815	0.902	0.912
1	$MPE2_{(A,C,G,T)}$	0.939	0.879	0.929	0.951	$wMPE2_{(A,C,G,T)}$	0.948	0.896	0.934	0.964
2		0.921	0.843	0.910	0.934		0.935	0.870	0.928	0.942
3		0.906	0.815	0.892	0.924		0.929	0.858	0.928	0.930
4		0.896	0.794	0.883	0.913		0.923	0.848	0.934	0.913
5		0.892	0.787	0.881	0.907		0.916	0.833	0.924	0.909
1	$MPE3_{(A,C,G,T)}$	0.932	0.865	0.923	0.943	$wMPE3_{(A,C,G,T)}$	0.932	0.865	0.938	0.927
2		0.906	0.814	0.881	0.935		0.922	0.845	0.916	0.930
3		0.908	0.819	0.898	0.923		0.931	0.862	0.943	0.918
4		0.887	0.776	0.861	0.917		0.929	0.858	0.943	0.914
5		0.885	0.774	0.864	0.910		0.926	0.852	0.942	0.909
1	$all\_MPE_{(A,C,G,T)}$	0.937	0.875	0.920	0.956	$all\_wMPE_{(A,C,G,T)}$	0.958	0.916	0.953	0.963
2		0.922	0.844	0.909	0.937		0.935	0.871	0.929	0.943
3		0.921	0.843	0.923	0.920		0.936	0.872	0.947	0.924
4		0.891	0.784	0.862	0.923		0.922	0.845	0.930	0.915
5		0.876	0.757	0.846	0.913		0.919	0.840	0.930	0.909

with proposed feature extraction method.  $\mu_{ACC}$  difference of each pairwise comparison range between 0.3% and 10.4%. More specifically, the highest  $\mu_{ACC}$  difference (10.4%) is observed between the classifications using feature sets of  $MPE3_{(A,C,G,T)}$  (73.6%) and  $wMPE3_{(A,C,G,T)}$  (84.0%), at  $k = 5$ . The best classification performance is  $\mu_{ACC} = 92.0\%$  and it is obtained with  $wPE_{(A,C,G,T)}$  feature set at  $k = 1$ . Also, it is observed that as  $k$  increases, the classification performance of  $k$ -NN classifier using both entropy features with and without wavelet decomposition decreases (based on  $\mu_{ACC}$  and  $\mu_k$ ). In addition, according to the  $\mu_{Se}$  and  $\mu_{Sp}$ , over-fitting does not occurred in any of classification process performed with different feature sets.

The pairwise comparison results of  $k$ -NN classification performances using feature sets based on entropy features with and without wavelet decomposition are given in Table 3 (at 10% training sample proportion). As it is seen, entropy features with wavelet decomposition generate higher  $\mu_{ACC}$  and  $\mu_k$  in nearly all comparisons (except comparison between  $MPE3_{(A,C,G,T)}$  and  $wMPE3_{(A,C,G,T)}$ , at  $k=1$ . Here, both feature sets generate the equal  $\mu_{ACC}$  and  $\mu_k$ ) as compared with entropy features without wavelet decomposition. When the  $\mu_{ACC}$  of each pairwise comparison is considered, the highest  $\mu_{ACC}$  difference is obtained as 4.3% between the feature sets of  $all\_MPE_{(A,C,G,T)}$  and  $all\_wMPE_{(A,C,G,T)}$ , at

$k=5$ . Also, the classification with  $wPE_{(A,C,G,T)}$  produce  $\mu_{ACC}$  as 95.4% (at  $k=1$ ), which is very close to the highest  $\mu_{ACC}$ . Also, as  $k$  increases, the classification performance of  $k$ -NN classifier using both entropy features with and without wavelet decomposition decreases in general. Besides, computed  $\mu_{Se}$  and  $\mu_{Sp}$  suggest that over-fitting problem does not happen in any classification process.

Table 4 shows the pairwise comparisons of the classification results at 15% training sample proportion. According to the  $\mu_{ACC}$  and  $\mu_k$ , entropy features with wavelet decomposition produce better classification performances for all pairwise comparisons than entropy features without wavelet decomposition. The  $\mu_{ACC}$  difference of each pairwise comparison range from 0.1% to 1.8%. The highest  $\mu_{ACC}$  is obtained in the classification using feature set of  $all\_wMPE_{(A,C,G,T)}$  (96.7%). Also, the classifications with  $wPE_{(A,C,G,T)}$  (96.4%, at  $k=1$ ) and  $wMPE2_{(A,C,G,T)}$  (96.2%, at  $k=1$ ) produce similar performances. In addition, over-fitting problem does not occurred in any of classification process according to the  $\mu_{Se}$  and  $\mu_{Sp}$ .

The pairwise comparisons of the feature sets' classifications results at 20% training sample proportion are provided in Table 5.  $\mu_{ACC}$  and  $\mu_k$  of all pairwise comparisons favor the classifications that used the feature sets based on entropy features with wavelet decomposition. The highest  $\mu_{ACC}$

**Table 4.** Pairwise comparisons of feature sets at 15% training sample proportion

k	Feature Set	$\mu_{ACC}$	$\mu_k$	$\mu_{Se}$	$\mu_{Sp}$	Feature Set	$\mu_{ACC}$	$\mu_k$	$\mu_{Se}$	$\mu_{Sp}$
1	$PE_{(A,C,G,T)}$	0.957	0.914	0.963	0.950	$wPE_{(A,C,G,T)}$	0.964	0.928	0.953	0.976
2		0.937	0.875	0.934	0.942		0.945	0.891	0.944	0.948
3		0.944	0.889	0.961	0.928		0.945	0.890	0.950	0.940
4		0.924	0.849	0.926	0.923		0.937	0.875	0.949	0.925
5		0.923	0.847	0.932	0.915		0.935	0.872	0.954	0.916
1	$MPE2_{(A,C,G,T)}$	0.958	0.916	0.958	0.958	$wMPE2_{(A,C,G,T)}$	0.962	0.925	0.957	0.969
2		0.944	0.888	0.940	0.948		0.950	0.900	0.951	0.949
3		0.943	0.885	0.954	0.930		0.949	0.898	0.956	0.942
4		0.934	0.868	0.936	0.932		0.941	0.882	0.948	0.935
5		0.923	0.846	0.932	0.914		0.940	0.881	0.961	0.920
1	$MPE3_{(A,C,G,T)}$	0.939	0.879	0.930	0.951	$wMPE3_{(A,C,G,T)}$	0.940	0.879	0.945	0.934
2		0.931	0.863	0.922	0.941		0.932	0.865	0.938	0.927
3		0.931	0.863	0.937	0.927		0.945	0.890	0.970	0.919
4		0.924	0.848	0.924	0.924		0.942	0.885	0.968	0.914
5		0.925	0.851	0.935	0.916		0.939	0.878	0.966	0.910
1	$all\_MPE_{(A,C,G,T)}$	0.962	0.925	0.964	0.961	$all\_wMPE_{(A,C,G,T)}$	0.967	0.935	0.964	0.971
2		0.948	0.896	0.945	0.952		0.953	0.907	0.945	0.962
3		0.946	0.892	0.958	0.933		0.952	0.905	0.964	0.941
4		0.934	0.870	0.946	0.923		0.945	0.890	0.963	0.926
5		0.929	0.860	0.942	0.917		0.940	0.881	0.964	0.915

**Table 5.** Pairwise comparisons of feature sets at 20% training sample proportion

k	Feature Set	$\mu_{ACC}$	$\mu_k$	$\mu_{Se}$	$\mu_{Sp}$	Feature Set	$\mu_{ACC}$	$\mu_k$	$\mu_{Se}$	$\mu_{Sp}$
1	$PE_{(A,C,G,T)}$	0.964	0.928	0.967	0.960	$wPE_{(A,C,G,T)}$	0.971	0.942	0.960	0.983
2		0.951	0.903	0.953	0.951		0.960	0.920	0.956	0.965
3		0.951	0.902	0.969	0.933		0.958	0.917	0.969	0.947
4		0.950	0.901	0.969	0.931		0.951	0.902	0.962	0.940
5		0.945	0.891	0.971	0.919		0.950	0.900	0.973	0.925
1	$MPE2_{(A,C,G,T)}$	0.964	0.927	0.964	0.963	$wMPE2_{(A,C,G,T)}$	0.967	0.934	0.959	0.976
2		0.957	0.913	0.958	0.955		0.958	0.915	0.958	0.958
3		0.955	0.910	0.968	0.942		0.959	0.919	0.976	0.942
4		0.945	0.891	0.963	0.927		0.954	0.909	0.972	0.936
5		0.940	0.881	0.956	0.924		0.953	0.907	0.980	0.925
1	$MPE3_{(A,C,G,T)}$	0.941	0.882	0.922	0.961	$wMPE3_{(A,C,G,T)}$	0.942	0.883	0.947	0.936
2		0.934	0.869	0.920	0.950		0.936	0.871	0.940	0.931
3		0.948	0.897	0.961	0.935		0.948	0.897	0.974	0.920
4		0.940	0.881	0.945	0.936		0.945	0.890	0.977	0.912
5		0.941	0.883	0.961	0.920		0.950	0.899	0.984	0.913
1	$all\_MPE_{(A,C,G,T)}$	0.970	0.941	0.974	0.967	$all\_wMPE_{(A,C,G,T)}$	0.973	0.947	0.966	0.982
2		0.959	0.918	0.955	0.964		0.965	0.930	0.966	0.965
3		0.957	0.915	0.957	0.958		0.969	0.938	0.981	0.956
4		0.944	0.889	0.953	0.935		0.953	0.905	0.969	0.936
5		0.942	0.884	0.960	0.923		0.954	0.909	0.986	0.921

**Table 6.** Pairwise comparisons of feature sets at 25% training sample proportion

k	Feature Set	$\mu_{ACC}$	$\mu_k$	$\mu_{Se}$	$\mu_{Sp}$	Feature Set	$\mu_{ACC}$	$\mu_k$	$\mu_{Se}$	$\mu_{Sp}$
1	$PE_{(A,C,G,T)}$	0.967	0.935	0.974	0.960	$wPE_{(A,C,G,T)}$	0.980	0.960	0.972	0.988
2		0.955	0.911	0.963	0.947		0.967	0.934	0.958	0.977
3		0.961	0.923	0.982	0.940		0.965	0.931	0.971	0.960
4		0.953	0.907	0.972	0.935		0.957	0.915	0.973	0.942
5		0.952	0.904	0.977	0.926		0.956	0.912	0.969	0.942
1	$MPE2_{(A,C,G,T)}$	0.972	0.944	0.973	0.971	$wMPE2_{(A,C,G,T)}$	0.972	0.944	0.964	0.981
2		0.961	0.922	0.962	0.961		0.964	0.929	0.961	0.969
3		0.960	0.921	0.976	0.945		0.965	0.929	0.973	0.956
4		0.950	0.901	0.967	0.934		0.959	0.918	0.970	0.947
5		0.948	0.897	0.972	0.923		0.959	0.917	0.983	0.932
1	$MPE3_{(A,C,G,T)}$	0.945	0.891	0.933	0.959	$wMPE3_{(A,C,G,T)}$	0.945	0.891	0.949	0.943
2		0.937	0.875	0.919	0.958		0.937	0.875	0.935	0.939
3		0.949	0.899	0.957	0.942		0.950	0.899	0.973	0.924
4		0.946	0.893	0.953	0.940		0.947	0.893	0.975	0.917
5		0.946	0.892	0.964	0.927		0.951	0.902	0.983	0.917
1	$all\_MPE_{(A,C,G,T)}$	0.972	0.944	0.971	0.974	$all\_wMPE_{(A,C,G,T)}$	0.981	0.962	0.977	0.985
2		0.964	0.929	0.962	0.968		0.971	0.942	0.971	0.972
3		0.963	0.926	0.969	0.957		0.971	0.942	0.974	0.968
4		0.956	0.913	0.968	0.944		0.962	0.925	0.967	0.957
5		0.953	0.907	0.978	0.927		0.958	0.915	0.983	0.930

Table 7. Pairwise comparisons of feature sets at 30% training sample proportion

k	Feature Set	$\mu_{ACC}$	$\mu_{\kappa}$	$\mu_{Se}$	$\mu_{Sp}$	Feature Set	$\mu_{ACC}$	$\mu_{\kappa}$	$\mu_{Se}$	$\mu_{Sp}$
1	PE <sub>(A,C,G,T)</sub>	0.971	0.943	0.976	0.967	wPE <sub>(A,C,G,T)</sub>	0.982	0.964	0.970	0.995
2		0.961	0.923	0.966	0.957		0.973	0.946	0.966	0.981
3		0.969	0.938	0.989	0.947		0.972	0.945	0.969	0.976
4		0.961	0.921	0.981	0.939		0.964	0.927	0.968	0.959
5		0.959	0.919	0.992	0.924		0.963	0.926	0.969	0.956
1	MPE2 <sub>(A,C,G,T)</sub>	0.973	0.946	0.972	0.974	wMPE2 <sub>(A,C,G,T)</sub>	0.973	0.946	0.963	0.983
2		0.965	0.930	0.964	0.967		0.967	0.934	0.956	0.980
3		0.964	0.928	0.965	0.963		0.968	0.937	0.975	0.962
4		0.956	0.913	0.969	0.943		0.966	0.933	0.979	0.953
5		0.955	0.911	0.979	0.931		0.968	0.937	0.982	0.955
1	MPE3 <sub>(A,C,G,T)</sub>	0.948	0.896	0.938	0.959	wMPE3 <sub>(A,C,G,T)</sub>	0.948	0.896	0.950	0.945
2		0.941	0.883	0.935	0.949		0.942	0.885	0.939	0.946
3		0.951	0.903	0.952	0.952		0.953	0.906	0.973	0.931
4		0.947	0.895	0.958	0.938		0.949	0.897	0.976	0.920
5		0.947	0.894	0.966	0.926		0.951	0.903	0.982	0.919
1	all_MPE <sub>(A,C,G,T)</sub>	0.976	0.951	0.981	0.971	all_wMPE <sub>(A,C,G,T)</sub>	0.985	0.970	0.975	0.995
2		0.971	0.942	0.976	0.966		0.977	0.954	0.970	0.985
3		0.970	0.940	0.986	0.953		0.979	0.958	0.982	0.977
4		0.965	0.931	0.973	0.957		0.971	0.942	0.980	0.961
5		0.960	0.920	0.985	0.934		0.963	0.927	0.984	0.943

difference is found as 1.3% for the pairwise comparisons between the feature sets of MPE2<sub>(A,C,G,T)</sub> and wMPE2<sub>(A,C,G,T)</sub> at k=5. The best classification performance in terms of  $\mu_{ACC}$  is produced with all\_wMPE<sub>(A,C,G,T)</sub> feature set, at k=1 (97.3%). Also, classification with feature set wPE<sub>(A,C,G,T)</sub> produce the similar performance at k = 1 (97.1%). The over-fitting does not observed according to the  $\mu_{Se}$  and  $\mu_{Sp}$ .

All pairwise comparison results of classifications at 25% training sample proportion are given in Table 6. When compared with the entropy features without wavelet decomposition, higher  $\mu_{ACC}$  and  $\mu_{\kappa}$  are obtained with the proposed method in most of pairwise comparisons.  $\mu_{ACC}$  and  $\mu_{\kappa}$  take the same value between classifications using feature sets of MPE2<sub>(A,C,G,T)</sub> and wMPE2<sub>(A,C,G,T)</sub> at k=1 and MPE3<sub>(A,C,G,T)</sub> and wMPE3<sub>(A,C,G,T)</sub> at k=2. The highest  $\mu_{ACC}$  (98.1%) is observed in the classification using the feature set all\_wMPE<sub>(A,C,G,T)</sub> at k=1. Also, with feature set wPE<sub>(A,C,G,T)</sub> the similar classification accuracy is achieved (98.0%) at the same k. When  $\mu_{ACC}$  differences of pairwise comparisons are considered, the highest difference (1.3%) is observed between the feature sets PE<sub>(A,C,G,T)</sub> and wPE<sub>(A,C,G,T)</sub>. In addition, according to the  $\mu_{Se}$  and  $\mu_{Sp}$ , over-fitting problem does not appear in any classification process performed with different feature sets.

The last table includes pairwise comparisons of k-NN classifications using the entropy features with and without

wavelet decomposition at 30% training sample proportion (Table 7). In most of all pairwise comparisons, it is observed that feature sets extracted with the proposed feature extraction method produce better classification performances than the feature sets based on entropy without wavelet decomposition in terms of  $\mu_{ACC}$  and  $\mu_{\kappa}$ . The same  $\mu_{ACC}$  and  $\mu_{\kappa}$  are obtained between the pairwise comparisons of feature sets MPE2<sub>(A,C,G,T)</sub> and wMPE2<sub>(A,C,G,T)</sub> and MPE3<sub>(A,C,G,T)</sub> and wMPE3<sub>(A,C,G,T)</sub> at k=1. The highest  $\mu_{ACC}$  is found as 98.5% is observed in the classification with all\_wMPE<sub>(A,C,G,T)</sub> at k=1. Also, with feature set wPE<sub>(A,C,G,T)</sub> the similar classification performance is produced with the same k (98.2%). Besides, the highest  $\mu_{ACC}$  difference is found as 1.3% between the pairwise comparison of classifications using the feature sets of MPE2<sub>(A,C,G,T)</sub> and wMPE2<sub>(A,C,G,T)</sub> at k=5. As in other training sample proportions, over-fitting problem does not evident in any classification process according to the  $\mu_{Se}$  and  $\mu_{Sp}$  results.

## DISCUSSION

Machine learning (ML) can be seen as a very useful tool in the interpretation of genomic data [55] and has been extensively used for the purpose of genomic sequence classification with the rapid development of information technologies in recent years [55–59]. Especially, for DNA

sequencing data, a very common and important challenge is discriminating the genes belonging different classes since distinguishing the signals by visually is almost impossible. ML methods present promising performances in various tasks such as recognition and categorization to overcome this challenge as shown in many important studies [6, 60–68].

One of the important pre-processing stage of the ML is reducing the dimension [69] of the high-dimensional raw data without sacrificing the useful information. Various feature extraction methods have been proposed in an attempt to find most compact and informative feature sets [70] to achieve high classification ability with small error rate. For the purpose of obtaining correct reflection of signals, some smoothing and filtering techniques such as SG and FT can be used. However, these traditional approaches are not efficient in CE signal denoising because CE signals have different shapes and widths in both spatial and frequency domains [4, 71]. As stated in [26], WT is an appropriate denoising tool for the DNA CE signals because the important information that is hidden in both spatial and frequency domains can be captured by WT. Some pioneer studies have been conducted to show the applicability of this transformation technique in the DNA CE signals [21–26]. However, the length of signals located in each sub-bands still differs among bases of DNA trace files after decomposition. The differences in lengths lead to a dimensionality problem in forming a vector of features for the purpose of using it as an input to the relevant classifier. Thus, an additional transformation stage is needed for each element of the feature vector to have same dimension.

Entropy is a very powerful and well-known statistical measure in quantifying the complexity of biological signals and has been widely used, especially in the studies of EEG signals [37–43], as a feature extraction method to obtain high classification accuracy. However, limited studies deal with the complexity of signals stored in each nucleic base (A, C, G and T). In the previous study [44], it was shown that the entropy-based features calculated for each bases of DNA trace files produce remarkable results in discriminating hepatitis DNA trace files as HBV and HCV. Support vector machines (SVM) classifier was used with different kernel functions and parameter optimization was performed for SVM parameters.

In this study, on the other hand, a feature extraction method which combines both DWT and entropy is proposed. Proposed method is defined with two stages that are executed sequentially. While first stage involves the DW decomposition of bases signals into sub-bands, the second stage involves forming the vector of features based on calculating the entropy values for these sub-bands. The real data set covering 200 patients' DNA trace files are used. Among 200 patients having hepatitis, 96 of them was labelled as HBV and 104 of them was labelled as HCV. Different feature sets are generated using the proposed method with different

MPE parameters. Then, generated feature sets are fed to a memory-based classifier, k-NN, due to the simplicity [72]. Different values of k from 1 to 5 are considered. In order to assess the performance of the proposed feature extraction method, it is compared to the classification results of generated feature sets based on MPE without wavelet decomposition. Different training sample sizes ranging from 5% to 30 in 5% increments are handled. Each classification process with different feature sets and training sample proportions is repeated 100 times to avoid bias caused by random selection. The average of performance measures obtained from the 100 runs are computed ( $\mu_{ACC}$ ,  $\mu_k$ ,  $\mu_{se}$  and  $\mu_{sp}$ ). Pairwise comparisons of the average performance measures between feature sets generated with two different feature extraction methods, (i.e., entropy features with and without wavelet decomposition) are made. The results demonstrate that features extracted with proposed method produce higher  $\mu_{ACC}$  and  $\mu_k$  at all training sample proportions (i.e., from 5% to 30%) compared to the entropy features without wavelet decomposition even using a simple memory-based learning classifier (k-NN) that does not require any parameter optimization. The highest  $\mu_{ACC}$  are obtained almost in all pairwise comparisons for the feature set of all\_wMPE<sub>(A,C,G,T)</sub> at k=1. Also, wPE<sub>(A,C,G,T)</sub> feature set produce similar  $\mu_{ACC}$  values with the same k. With proposed feature extraction method, the  $\mu_{ACC}$  range from 92.0% to 98.5%. As it is expected, when the training proportion increases, the average classification accuracy increases. This shows, even at 30% training samples proportion, the classification performance reaches up to nearly 99% by entropy features with wavelet decomposition. When the classification results of feature sets are considered individually, the highest  $\mu_{ACC}$  is obtained at k=1 among all values of k (for all training samples proportions).

The proposed feature extraction method combined the DWT and entropy has several advantages against the entropy-based features without wavelet decomposition. The proposed method has the following advantages:

- In all pairwise classification comparisons of feature sets, entropy based features with wavelet decomposition produce better performance measures compared to the feature extraction method which is based on entropy but without wavelet decomposition. It is shown that wavelet decomposition is an important stage in the feature extraction process in order to localize the nitrogen-containing bases (i.e., A, C, G and T) in DNA. After decomposition of signals in all bases, the complexities of bases' sub-bands are measured by MPE and, in conclusion, very satisfactory classification performances are obtained.
- As the training sample proportion decreases,  $\mu_{ACC}$  range between pairwise comparison of classifications based on entropy features with and without wavelet decomposition is widening. Considering that the training samples of real DNA sequence data are naturally low, this result is very important.

## CONCLUSION

In this study, a new feature extraction method is proposed for the classification of DNA trace files based on entropy features with wavelet decomposition. In addition to enabling the detection of hidden information stored in each bases of trace files, this method also allows to assess the chaotic nature of this information at the local level. To achieve better identification of the genotypes of viruses such as hepatitis, this method can be effectively used in the studies classification of DNAC.

Although a simple memory-based learning classifier is used in this study, satisfactory classification performances are obtained with various feature sets generated by the proposed method. Different classifiers which require the parameter optimization can also be considered for future studies if the purpose is improving the classification performance.

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## Appendix A. Description of feature sets extracted in Step 2.

Feature Set	Description	HCV	HBV
		Chi-Square Test Statistics <sup>a</sup> (p-value)	Chi-Square Test Statistics <sup>a</sup> (p-value)
<b>wPE<sub>(A,C,G,T)</sub></b>			
SB <sub>1</sub> _PE <sub>(A)</sub>	PE for sub-band 1 of the base A	98.791	271.238
SB <sub>2</sub> _PE <sub>(A)</sub>	PE for sub-band 2 of the base A	(<0.000)	(<0.000)
SB <sub>3</sub> _PE <sub>(A)</sub>	PE for sub-band 3 of the base A		
SB <sub>4</sub> _PE <sub>(A)</sub>	PE for sub-band 4 of the base A		
SB <sub>1</sub> _PE <sub>(C)</sub>	PE for sub-band 1 of the base C	138.899	243.668
SB <sub>2</sub> _PE <sub>(C)</sub>	PE for sub-band 2 of the base C	(<0.000)	(<0.000)
SB <sub>3</sub> _PE <sub>(C)</sub>	PE for sub-band 3 of the base C		
SB <sub>4</sub> _PE <sub>(C)</sub>	PE for sub-band 4 of the base C		
SB <sub>1</sub> _PE <sub>(G)</sub>	PE for sub-band 1 of the base G	140.171	275.139
SB <sub>2</sub> _PE <sub>(G)</sub>	PE for sub-band 2 of the base G	(<0.000)	(<0.000)
SB <sub>3</sub> _PE <sub>(G)</sub>	PE for sub-band 3 of the base G		
SB <sub>4</sub> _PE <sub>(G)</sub>	PE for sub-band 4 of the base G		
SB <sub>1</sub> _PE <sub>(T)</sub>	PE for sub-band 1 of the base T	105.363	242.486
SB <sub>2</sub> _PE <sub>(T)</sub>	PE for sub-band 2 of the base T	(<0.000)	(<0.000)
SB <sub>3</sub> _PE <sub>(T)</sub>	PE for sub-band 3 of the base T		
SB <sub>4</sub> _PE <sub>(T)</sub>	PE for sub-band 4 of the base T		
<b>wMPE2<sub>(A,C,G,T)</sub></b>			
SB <sub>1</sub> _MPE2 <sub>(A)</sub>	Multi-scale PE (s=2) for sub-band 1 of the base A	25.877	254.360
SB <sub>2</sub> _MPE2 <sub>(A)</sub>	Multi-scale PE (s=2) for sub-band 2 of the base A	(<0.000)	(<0.000)
SB <sub>3</sub> _MPE2 <sub>(A)</sub>	Multi-scale PE (s=2) for sub-band 3 of the base A		
SB <sub>4</sub> _MPE2 <sub>(A)</sub>	Multi-scale PE (s=2) for sub-band 4 of the base A		
SB <sub>1</sub> _MPE2 <sub>(C)</sub>	Multi-scale PE (s=2) for sub-band 1 of the base C	54.433	237.080
SB <sub>2</sub> _MPE2 <sub>(C)</sub>	Multi-scale PE (s=2) for sub-band 2 of the base C	(<0.000)	(<0.000)
SB <sub>3</sub> _MPE2 <sub>(C)</sub>	Multi-scale PE (s=2) for sub-band 3 of the base C		
SB <sub>4</sub> _MPE2 <sub>(C)</sub>	Multi-scale PE (s=2) for sub-band 4 of the base C		
SB <sub>1</sub> _MPE2 <sub>(G)</sub>	Multi-scale PE (s=2) for sub-band 1 of the base G	62.145	275.357
SB <sub>2</sub> _MPE2 <sub>(G)</sub>	Multi-scale PE (s=2) for sub-band 2 of the base G	(<0.000)	(<0.000)
SB <sub>3</sub> _MPE2 <sub>(G)</sub>	Multi-scale PE (s=2) for sub-band 3 of the base G		
SB <sub>4</sub> _MPE2 <sub>(G)</sub>	Multi-scale PE (s=2) for sub-band 4 of the base G		
SB <sub>1</sub> _MPE2 <sub>(T)</sub>	Multi-scale PE (s=2) for sub-band 1 of the base T	27.688	236.742
SB <sub>2</sub> _MPE2 <sub>(T)</sub>	Multi-scale PE (s=2) for sub-band 2 of the base T	(<0.000)	(<0.000)
SB <sub>3</sub> _MPE2 <sub>(T)</sub>	Multi-scale PE (s=2) for sub-band 3 of the base T		
SB <sub>4</sub> _MPE2 <sub>(T)</sub>	Multi-scale PE (s=2) for sub-band 4 of the base T		
<b>wMPE3<sub>(A,C,G,T)</sub></b>			
SB <sub>1</sub> _MPE3 <sub>(A)</sub>	Multi-scale PE (s=3) for sub-band 1 of the base A	71.140	322.014
SB <sub>2</sub> _MPE3 <sub>(A)</sub>	Multi-scale PE (s=3) for sub-band 2 of the base A	(<0.000)	(<0.000)
SB <sub>3</sub> _MPE3 <sub>(A)</sub>	Multi-scale PE (s=3) for sub-band 3 of the base A		
SB <sub>4</sub> _MPE3 <sub>(A)</sub>	Multi-scale PE (s=3) for sub-band 4 of the base A		

Feature Set	Description	HCV	HBV
		Chi-Square Test Statistics <sup>a</sup> (p-value)	Chi-Square Test Statistics <sup>a</sup> (p-value)
SB <sub>1-</sub> MPE3 <sub>(C)</sub>	Multi-scale PE (s=3) for sub-band 1 of the base C	115.019	221.649
SB <sub>2-</sub> MPE3 <sub>(C)</sub>	Multi-scale PE (s=3) for sub-band 2 of the base C	(<0.000)	(<0.000)
SB <sub>3-</sub> MPE3 <sub>(C)</sub>	Multi-scale PE (s=3) for sub-band 3 of the base C		
SB <sub>4-</sub> MPE3 <sub>(C)</sub>	Multi-scale PE (s=3) for sub-band 4 of the base C		
SB <sub>1-</sub> MPE3 <sub>(G)</sub>	Multi-scale PE (s=3) for sub-band 1 of the base G	76.747	276.995
SB <sub>2-</sub> MPE3 <sub>(G)</sub>	Multi-scale PE (s=3) for sub-band 2 of the base G	(<0.000)	(<0.000)
SB <sub>3-</sub> MPE3 <sub>(G)</sub>	Multi-scale PE (s=3) for sub-band 3 of the base G		
SB <sub>4-</sub> MPE3 <sub>(G)</sub>	Multi-scale PE (s=3) for sub-band 4 of the base G		
SB <sub>1-</sub> MPE3 <sub>(T)</sub>	Multi-scale PE (s=3) for sub-band 1 of the base T	81.993	229.165
SB <sub>2-</sub> MPE3 <sub>(T)</sub>	Multi-scale PE (s=3) for sub-band 2 of the base T	(<0.000)	(<0.000)
SB <sub>3-</sub> MPE3 <sub>(T)</sub>	Multi-scale PE (s=3) for sub-band 3 of the base T		
SB <sub>4-</sub> MPE3 <sub>(T)</sub>	Multi-scale PE (s=3) for sub-band 4 of the base T		

a. Kruskal Wallis Test